



Lesson Exemplar for Mathematics

Quarter 4 Lesson 7

IMPLEMENTATION OF THE MATATAG K TO 10 CURRICULUM



Lesson Exemplar for Mathematics Grade 7 Quarter 4: Lesson 7 (Week 7) SY 2024-2025

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MATHEMATICS / QUARTER 4 / GRADE 7

I. CURRICULUM CONTENT, STANDARDS, AND LESSON COMPETENCIES				
A	. Content Standards	The learners should have knowledge and understanding of outcomes from experiments.		
В	. Performance Standards	By the end of the lesson, the learners are able to gather data from experiments and represent the data in different forms.		
C	. Learning Competencies and Objectives	 Learning Competencies By the end of the lesson, the learners 1. Express outcomes in words and/or symbols and represent outcomes in tables and/or graphs. 2. Solves problems using the outcomes of experiments. Learning Objectives Accurately identify all the possible outcomes in an experiment using systematic listing. Correctly solve problems involving outcomes in an experiments. Accurately solve problems using the outcomes of experiments. Correctly illustrate the probability of simple events. Accurately solve problems involving the probability of simple events. 		
D	. Content	 Determining Outcomes of an Experiment by Systematic Listing Solving Problems Using Outcomes of Experiments Probability of Simple Events 		
E	. Integration			

II. LEARNING RESOURCES

Cuemath (2024, June 7). Sample Space. <u>https://cuemath.com/questions/the-set-of-all-possible-outcomes-of-an-experiment-is/</u> Khan Academy (2024, June 7). Simple probability. <u>https://www.khanacademy.org/math/cc-seventh-grade-math/cc-7th-probability-</u> <u>statistics/cc-7th-basic-prob/e/probability_1</u>

Libre Texts Statistics (2024, June 6). Sample Spaces, Events, and Their Probabilities. https://stats.libretexts.org/Bookshelves/Introductory_Statistics/Introductory_Statistics_(Shafer_and_Zhang)/03%3A_Basic_Concepts_of_ Probability/3.01%3A_Sample_Spaces_Events_and_Their_Probabilities

Math is Fun (2024, June 7). Probability. <u>https://www.mathsisfun.com/data/probability.html</u> Maths Genie (2024, June 6). *Systematic Listing*. <u>https://www.mathsgenie.co.uk/resources/2-systematic-listing.pdf</u> Online Math Learning (2024, June 6). *Probability of an Event*. <u>https://www.onlinemathlearning.com/probability-of-an-event.html</u> Transum (2024, June 6). Systematic Listing Strategies. <u>https://www.transum.org/Maths/Exercise/Listing/</u>

III. TEACHING AND LEAP	RNING PROCEDURE		NOTES TO TEACHERS	
A. Activating Prior Knowledge	 DAY 1 1. Short Review A. Identify the experiment, our situations. 1. What is the likelihood of the d a. Experiment: b. Outcome: c. Sample space: d. Event: 2. Feedback (Optional) 	On day 1 of this lesson, the teacher will give a short review about identifying experiments, sample space, outcomes, and events. After giving the short activity, check the answers of the learners and provide feedback on it to smoothly connect the main lesson.		
B. Establishing Lesson Purpose	 2. Feedback (Optional) B. Establishing Lesson Purpose 1. Lesson Purpose To highlight the lesson's purpose, use the essential questions below to engage learners and show the lesson's importance based on their experiences. Essential Questions: When do counting and listing become organized and systematic? How does systematic listing differ from using a table or tree diagram? How can we determine the probability of simple events in various word problems? How can we identify the outcomes of a simple event, and how does this help in calculating its probability? 2. Unlocking Content Vocabulary Define Me! 		This section is intended for short class discussions for the students to recall and learn new terms that are related to the given topics of the lesson. Note: Essential questions in this part do not necessarily need to be answered. These questions will only serve as a guide and an engaging factor in proceeding to the lesson proper. Teachers can use images	
	Success Probability Outcomes	Success Probability Outcomes Probability		

	 Key Points: Systematic listing is an organized method of arranging information to ensure that no possible outcomes are overlooked. A simple event is any possible result of a random experiment. Success refers to the occurrence of the intended event outcome. Outcomes are the possible results or occurrences of an event. In the context of probability or statistics, outcomes represent the different potential situations or occurrences that can happen as a result of an experiment, trial, or event. Probability is the measure of the likelihood that a particular event will occur. It is quantified as a number between 0 and 1, with 0 indicating that the event will not happen and 1 indicating certainty that the event will happen. 	 their comprehension of the concepts. Use the "Define Me" table to gather ideas from learners. This approach will promote interactive discussion. Note: Always engage learners in an interactive discussion to make them more participative.
	The probability of a simple event, denoted by P(E), is calculated using the formula $P(E) = \frac{n(E)}{N}$ where $n(E)$ is the number of times an event will occur, and N is the total number of possible outcomes.	
C. Developing and Deepening Understanding	SUB-TOPIC 1: Determining Outcomes of an Experiment by Systematic Listing. 1. Explicitation Systematic Listing - this refers to an organized method of arranging information to ensure that no possible outcomes are overlooked. Example: List all the possible combinations when two coins were tossed. We are aware that there is a chance that both coins could show heads, so we'll begin by listing the first set of outcomes as (head, head). If we change the second coin to tails, the subsequent possible outcome would be (head, tail). Repeating the process, we can write, (Head, Head) (Tail, Head) (Tail, Tail)	Class discussion in the presentation of new terminologies related to the topic. A step-by-step of showing the process (Q & A, if possible) is necessary to be presented by the teacher with the assurance that all students will understand the lesson.
	 2. Worked Example Example 1. List the combinations of three-digit numbers that can be formed using the digits 1, 2, and 3, with the condition that repetition of digits is permitted. Solution: To list all three-digit numbers systematically, begin with the smallest number and proceed by altering the digits starting from the rightmost position.	

	111	211	311
	112	212	312
	113	213	313
	121	221	321
	122	222	322
	123	223	323
	131	231	331
	132	232	332
	133	233	333

Therefore, there are **27** possible combinations of 3-digit numbers can be formed using the digits 1, 2, and 3.

Example 2. On a school sports fest day, students must take part in one track event and one field event. List the possible combinations of track and field events systematically. Below is the list of events.

Track Events	Field Events		
Hurdles (H)	Long Jump (L)		
Relay (R)	Javelin (J)		
Sprint (S)	Tripple Jump (T)		

Solution: To list all possible combinations of sports events, begin with the first event under track events to pair with field events.

H, L	R, L	S, L
Н, Ј	R, J	S, J
H, T	R, T	S, T

Therefore, the above list comprises **9** possible combinations.

3. Lesson Activity

Let the students answer the items below:

1. Empoy has three balls numbered with the same color: 7, 2, and 5. List all the possible combinations of numbers systematically.

Let the students work by tandem or small group to answer the exercises. 2. During your school's sports festival, students are required to participate in one indoor event and one outdoor event. Systematically list the potential combinations of track and field events.

Below are the available events. Below is the list of indoor and outdoor events.

Indoor Event	Outdoor Event
Badminton	Football
Table tennis	Swimming
Volleyball	Relay
Futsal	Long Jump

DAY 2

SUB-TOPIC 2: Outcomes and Probability of Simple Events

1. Explicitation

Outcomes are the possible results or occurrences of an event. In the context of probability or statistics, outcomes represent the different potential situations or occurrences that can happen as a result of an experiment, trial, or event.

Probability is the measure of the likelihood that a particular event will occur. It is quantified as a number between 0 and 1, with 0 indicating that the event will not happen and 1 indicating certainty that the event will happen.

The probability of a simple event, denoted by P(E), is calculated using the formula $P(E) = \frac{n(E)}{N}$ where n(E) is the number of times an event will occur, and N is the total number of possible outcomes.

2. Work Example

Example 1: In rolling a die, find the probability of getting an odd number.

$$P(Event) = \frac{n(E) - number of favorable outcome}{N - total number of possible outcomes}$$

Take note that here are 3 odd numbers, namely 1, 3, and 5 and there are 6

possible outcome, namely 1, 2, 3, 4, 5, and 6.

Thus, $P(Odd number) = \frac{3}{6} = \frac{1}{2}$

The probability of getting an odd number is 3 out of 6 or 0.5 or 50%.

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Allow the students to present their answer to the whole class for discussion.

Example 2. In Kokoy's drawer, there are 4 red shirts, 7 blue shirts, and 8 green shirts. What is the probability that he will choose to wear a green shirt? Solution: Step 1. Determine the number of possible outcomes. Note: The outcomes in Kokoy's drawer are the individual shirts he can choose from: 4 white shirts, 7 green shirts, and 8 blue shirts. Since there are 4 red shirts, 7 blue shirts, and 8 green shirts in Kokoy's drawer, he has a total of 19 shirts to choose from. Hence, the total number of possible outcomes is 19. In symbol, $N = 19$. Step 2. Determine the number of times the event will occur. The event is "Kokoy's will wear a green shirt. Since there are 8 green shirts, $n(E) = 8$. Step 3. Calculate the probability using the formula. $P(Event) = \frac{n(E) - number of favorable outcome}{N - total number of possible outcomes}$ $P(green shirt) = \frac{8}{19}$ Thus, the probability that Kokoy will wear a green shirt is $\frac{8}{19}$. 3. Lesson Activity After the discussion, let the students answer the following items. 1. Ana has 3 candies, 5 chocolates and 2 chewing gums in a bag. What is the probability of picking a candy? 2. A number cube with faces numbered 1, 2, 3, 4, 5, 6 is rolled. Find the probability of obtaining a number greater than 4.	
 DAY 3 3. Lesson Activity The teacher can give a short recall on the previous lesson by asking the students on how to determine the probability of a simple event. Then allow the students to do the activity below as a drill exercises. A spinner with four sections labeled A, B, C, and D is used. The table displays the outcomes of multiple spins. Determine the probability of spinning each letter as a simple event. Present your answer in fraction, decimal, and percentage forms. 	Lesson activities can be done by pair. Answer to Lesson Activity: 1. P(A) = 15/40, 0.375, 37.5% P(B) = 10/40, 0.25, 25% P(C) = 6/40, 0.15, 15% P(D) = 9/40, 0.225, 22.5% 2. a. 9/34 b. 4/17
6	

	Letter A B C D
	Frequency 15 10 6 9
	Solution:
	Teacher's Feedback:
	2 An auditor for a club is to be chosen from 8 Grade 7 students 9 Grade 8
	students 12 Grade 9 students and 5 Grade 10 students. What is the
	probability that the selected auditor is:
	probability that the selected addition is.
	a. a Grade o student?
	D. a Grade 7 student?
	Simplify your answer if possible
	Solution: (a)
	Solution: (a)
	Solution: (b)
	Teacher's Feedback:
D. Making	1. Learners' Takeaways To identify learners'
Generalizations	The learners will be asked to complete the table by answering the following takeaways, teacher may use
	questions. the questions from the
	1. When do counting and listing become organized and systematic? lesson purpose.
	2. How does systematic listing differ from using a table or tree diagram?
	3. How can we determine the probability of simple events in various word
	problems?
	4 How can we identify the outcomes of a simple event and how does this help
	in calculating its probability?
	2. Reflection on Learning
	Ask the students to share their reflection using the guide question:
	Are there any challenges or misconceptions you encountered while studying the
	lesson on probability? If there any what are those?
	icsson on probability? If there any, what are those?

IV. EVALUATING LEARNI	NOTES TO TEACHERS			
A. Evaluating Learning	DAY 4 1. Formative Assessment 1. Two dice are rolled. Li	ist and count all the possibl	Answer Key : 1. a. (1, 4), (2, 3), (3, 2),(4, 1) So, there are 4 pairs in total.	
	 b. Sum of 8 c. Sum of less than 7. d. absolute difference of 4. 2. There are 7 green, 5 pink, 10 violet, and 4 red balls in a box. A ball was picked at random. What is the probability that it is: a. red? b. violet? c. not green? d. not pink? 3. Two dice are thrown. Find the probability that the same number will show in both dice.			 b. (2, 6), (3, 5),(4, 4), (5, 3),(6, 2) So, there are 5 pairs in total. c. Sum of 2: (1, 1) Sum of 3: (1, 2), (2, 1)
				Sum of 4: (1, 3), (2, 2), (3, 1) Sum of 5: (1, 4), (2, 3), (3, 2), (4, 1) Sum of 6: (1, 5), (2, 4), (3, 3), (4, 2), (5, 1) So, there are 15 pairs in total.
				d. (1, 5), (5, 1) (2, 6), (6, 2) So, there are 4 pairs in total.
	2. Homework (Optional) The teacher can give the homework below.			
	An ice cream store of The two available toppin cream flavors include ub	b. Probability of picking a violet ball: 5/13		
	combinations if a custom flavors. Then determine	the probability of getting a	and three different ice cream a combination with a mango	c. Probability of not picking a green ball: 19/26
	flavor.			d. Probability of not picking a pink ball: 21/26 3. 6/36 or 1/6
B. Teacher's Remarks	ner'sNote observations on anyrksof the following areas:	Effective Practices	Problems Encountered	The teacher may take note of some observations related to
	strategies explored			the effective practices and problems encountered after utilizing the different

	materials used learner engagement/ interaction others			strategies, materials used, learner engagement, and other related stuff. Teachers may also suggest ways to improve the different activities explored/lesson exemplar.
C. Teacher's Reflection	 Reflection guide or prompt can be on: principles behind the teaching What principles and beliefs informed my lesson? Why did I teach the lesson the way I did? <u>students</u> What roles did my students play in my lesson? What did my students learn? How did they learn? ways forward What could I have done differently? What could I have done differently? 		Teacher's reflection in every lesson conducted/facilitated is essential and necessary to improve practice. You may also consider this as an input for the LAC/Collab sessions.	