



# Lesson Exemplar for Mathematics

Quarter 1 Lesson



## Lesson Exemplar for Mathematics Grade 8 Quarter 1: Lesson 8 (Week 8) SY 2025-2026

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| Development Team  |
|---|
| <ul> <li>Writer:</li> <li>Argiel L. Agapay (Liliw National High School)</li> </ul>                        |
| <ul> <li>Validator:</li> <li>Ysmael V. Caballas (Philippine Normal University – South Luzon)</li> </ul>   |
| Management Team   |
| Philippine Normal University<br>Research Institute for Teacher Quality<br>SiMERR National Research Centre |

Every care has been taken to ensure the accuracy of the information provided in this material. For inquiries or feedback, please write or call the Office of the Director of the Bureau of Learning Resources via telephone numbers (02) 8634-1072 and 8631-6922 or by email at blr.od@deped.gov.ph.

## MATHEMATICS/QUARTER 1/ GRADE 8

| I. CURRICULUM CONTENT, STANDARDS, AND LESSON COMPETENCIES |   |  |  |  |  |  |  |
|---|---|--|--|--|--|--|--|
| A. Content<br>Standards                                   | ne learners should have knowledge and understanding of rules for obtaining terms in sequences.  |  |  |  |  |  |  |
| B. Performance<br>Standards                               | By the end of the quarter, the learners are able to obtain the rule for finding the next term in a sequence.  |  |  |  |  |  |  |
| C. Learning<br>Competencies<br>and Objectives             | <ul> <li>Learning Competencies <ol> <li>The learners formulate the rule for finding the next term in a sequence by looking for patterns.</li> </ol> </li> <li>Learning Objectives By the end of the lesson, the learners are expected to: <ol> <li>formulate the rule for finding the next term of a sequence;</li> <li>solve for the nth term of an Arithmetic Sequence; and</li> <li>solve for the nth term of a Geometric Sequence.</li> </ol> </li> </ul> |  |  |  |  |  |  |
| D. Content  | <ul> <li>Sequence</li> <li>1. Finding the Rule of a Sequence</li> <li>2. Arithmetic Sequence</li> <li>3. Geometric Sequence</li> </ul>  |  |  |  |  |  |  |
| E. Integration  | None  |  |  |  |  |  |  |

| II. LEARNING RESOURCES   |
|--|
| Admin. (2022, October 4). Sequence and Series-Definition, Types, Formulas and Examples. BYJUS. <u>https://byjus.com/maths/sequence-and-series/</u> |
| Maths with Jay. (2018, May 8). Find the nth term in a sequence [Video]. YouTube. <u>https://www.youtube.com/watch?v=VgBSzYBMbh4</u>                |
| https://www.khanacademy.org/math/algebra/x2f8bb11595b61c86:sequences/x2f8bb11595b61c86:introduction-to-arithmetic-                                 |
| sequences/v/explicit-and-recursive-definitions-of-sequences  |
| [Video]. YouTube. https://www.youtube.com/watch?v=e45RY0DwaU4  |

| III. TEACHING AND LE              | ARNING PROCEDURE  | NOTES TO TEACHERS  |
|-----------------------------------|---|--|
| A. Activating Prior<br>Knowledge  | DAY 1<br>1. Short Review<br>Activity 1: Do You Remember?<br>Let the learners solve the problem below.   | This activity is intended to recall<br>the concept of problems<br>involving rational algebraic<br>expressions.   |
|                                   | The denominator of a fraction is 3 more than the numerator. If both numerator and denominator are increased by 2, the resulting fraction is $2/3$ . Find the fraction.  | <b>Answer:</b> The fraction is $\frac{4}{7}$ since x = 4   |
| B. Establishing<br>Lesson Purpose | <ol> <li>Lesson Purpose<br/>Activity 2: What's Next?<br/>Analyze the set of numbers below and answer the question that follows.<br/>5, 8, 11, 14, 2, 4, 8, 16,</li> <li>Guide Questions:         <ol> <li>Does each set of numbers follow a specific rule or pattern?</li> <li>What will be the next number in the set of numbers in the left? How were you able to find it?</li> <li>What will be the next number in the set of numbers in the right? How were you able to find it?</li> </ol> </li> <li>Unlocking Content Vocabulary         <ol> <li>Sequence is a list or set of numbers that follows a specific order or pattern. Sequences can be either finite or infinite.</li> <li>Finite Sequence contains a limited number of terms.</li> <li>Infinite Sequence is a list or set of numbers in which each succeeding term is obtained by adding a fixed number. The fixed number is called common difference.</li> <li>Geometric Sequence is a set of terms in which each term after the first is obtained by multiplying a fixed number called the common ratio.</li> </ol> </li> </ol> | Activity 2 is intended to give the<br>learners an idea of what is a<br>sequence without introducing<br>yet the concept to the class. You<br>may also add other questions if<br>necessary.<br><b>Answer Key:</b><br>1. Yes<br>2. 17, by adding 3<br>3. 64, by multiplying 2 |

| C. Developing and   | DAY 2   |                     |                    |                                |             |  |  |
|---|---|---------------------|--------------------|--------------------------------|-------------|--|--|
| Deepening   | SUB-TOPIC 1: F  | inding the R        |                    |                                |             |  |  |
| Understanding   | 1. Explicitation  |                     |                    |                                |             |  |  |
|   | A sequence  | e is a list or s    | et of numbers th   | at follows a specific order or | pattern.    |  |  |
|   | It can be classified as either finite or infinite. Below are examples of finite and |                     |                    |                                |             |  |  |
|   | infinite seque  | nfinite sequence.   |                    |                                |             |  |  |
|   |   | Finite Seque        | nce                | Infinite Sequence              |             |  |  |
|   |   | 3, 6, 9, 12         | 2                  | 5, 10, 15, 20,                 |             |  |  |
|   | 8   | , 10, 12, 14,       | 30                 | $2, -2, 2, -2, 2, \dots$       |             |  |  |
|   |   |                     |                    | 11, 15, 19, 23, 27,            |             |  |  |
|   | Note: A segue   | nce is differen     | t from a series in | a sense that the latter is gen | oralized    |  |  |
|   | as the sum of   | f all the terms     | s of a seavence    | However there has to be a      | definite    |  |  |
|   | relationship b  | etween all the      | terms.             |                                | acjunac     |  |  |
|   |   |                     |                    |                                |             |  |  |
|   | As mentio   | ned earlier, a      | sequence follov    | vs a pattern and we call this  | s as the    |  |  |
|   | rule or nth te  | <b>rm</b> of the se | quence. We ca a    | lso express that rule or nth   | term as     |  |  |
|   | <b>a</b> n.   |                     |                    |                                |             |  |  |
|   | 0   |                     |                    |                                |             |  |  |
|   | 2. Worked Exan  | iple                |                    |                                |             | In the solution for each example       |  |
|   | Example 1: Fi   | nd the rule of      | r nth term of the  | sequence 5, 8, 11, 14,         | n So in     | emphasize to the learners the          |  |
|   | tabular form s  | ve can search       | for the nattern    | ous term to get the next term  | II. 50, III | following:<br>• the numbers 1, 2, 3, 4 |  |
|   | Term  | Given               |                    | Pattern                        |             |  |  |
|   | 1   | 5                   | 5                  | 5 + 7(0)                       |             | represents the first term,             |  |
|   | 2   | 8                   | 5+3                | 5 + 7(1)                       |             | second term, third term, and           |  |
|   | 3   | 11                  | 5 + 3 + 3          | 5 + 7(2)                       |             | fourth term of the sequence.           |  |
|   | 4   | 14                  | 5 + 3 + 3 + 3      | 5 + 7(3)                       |             | • if the terms of the sequence is      |  |
|   |   |                     |                    |                                |             |  |  |
| In the pattern, the number of times 7 is added to the first term is one less that the next term or $(n - 1)$ . Equating $a_n$ and $5 + 3(n-1)$ and simplifying it |   |                     |                    |                                |             | number is added. When it is            |  |
|   |   |                     |                    |                                |             | decreasing, a negative                 |  |
|   | $a_n = 5 + 3(n-1)$  |                     |                    |                                |             |  |  |
|   |   |                     | $a_n = 5 + 3$      | 3n-3                           |             | if the terms of the sequence is        |  |
| $a_n = 3n + 2$  |   |                     |                    |                                |             | increasing then a positive             |  |
|   | Thus, the rule or nth term is $a_n = 3n + 2$  |                     |                    |                                |             |  |  |
|   | Example 2. Fi   | nd the rule of      | r nth term of the  | sequence $10, 7, 4, 1$         |             | is decreasing, a fraction is           |  |
|   |   |                     |                    | зециенсе 10, 7, т, 1,          |             | _                                      |  |

| Solution: Notice that -3 is added to the previous term to get the next term. So, in tabular form we can search for the pattern. |                    |    |                         |              |  |  |  |
|---|--------------------|----|-------------------------|--------------|--|--|--|
|   | Term Given Pattern |    |                         |              |  |  |  |
|   | 1                  | 10 | 10                      | 10 + (-3)(0) |  |  |  |
|   | 2                  | 7  | 10 + (-3)               | 10 + (-3)(1) |  |  |  |
|   | 3                  | 4  | 10 + (-3) + (-3)        | 10 + (-3)(2) |  |  |  |
|   | 4                  | 1  | 10 + (-3) + (-3) + (-3) | 10 + (-3)(3) |  |  |  |

multiplied. (Examples 3 and 4)

• if the rule or nth term of a sequence is given, you can solve for any of its term.

You may add more examples if needed.

In the pattern, the number of times -3 is added to the first term is one less than the next term or (n - 1). Equating  $a_n$  and 10 + (-3)(n-1) and simplifying it

 $a_n = 10 + (-3)(n-1)$   $a_n = 10 - 3n + 3$   $a_n = -3n + 13$  $a_n = n + 13$ 

Thus, the rule or nth term is  $a_n = -3n + 13$ 

Example 3: Find the rule or nth term of the sequence 2, 4, 8, 16, ... Solution: In this example, notice that 2 is multiplied to the previous term to get the next term. So, in tabular form we can search for the pattern.

| Term | Given | Pattern     |                    |  |
|------|-------|-------------|--------------------|--|
| 1    | 3     | 3           | 3                  |  |
| 2    | 6     | 3 (2)       | 3 (2)1             |  |
| 3    | 12    | 3 (2)(2)    | 3 (2) <sup>2</sup> |  |
| 4    | 24    | 3 (2)(2)(2) | 3 (2) <sup>3</sup> |  |

In the pattern, the number of times 2 is multiplied to the first term is one less than the next term or (n - 1). Equating  $a_n$  and  $3(2)^{n-1}$  gives us the rule or nth term  $a_n = 3$  (2)<sup>n-1</sup>.

Example 4: Find the rule or nth term of the sequence 64, 16, 4, 1, ... Solution: Notice that 1/4 is multiplied to the previous term to get the next term. So, in tabular form we can search for the pattern.

| Term | Given | Pattern            |                       |  |
|------|-------|--------------------|-----------------------|--|
| 1    | 64    | 64                 | 64                    |  |
| 2    | 16    | 64 (1/4)           | 64 (1/4) <sup>1</sup> |  |
| 3    | 4     | 64 (1/4)(1/4)      | 64 (1/4) <sup>2</sup> |  |
| 4    | 1     | 64 (1/4)(1/4)(1/4) | 64 (1/4)3             |  |

| In the pattern, the number of times $1/4$ than the next term or $(n - 1)$ . Equating a term $a_n = 64(1/4)^{n-1}$ .   | is multiplied to the first term is one less $a_n$ and $64(1/4)^{n-1}$ gives us the rule or nth   |  |
|---|--|--|
| Example 5: Write the first 4 terms of the<br>Solution: Since 1, 2, 3 and 4 represents<br>we will use these as the value of " <i>n</i> ".<br>If $n = 1$ If $n = 2$ If<br>$a_1 = 2(1) + 1$ $a_2 = 2(2) + 1$<br>$a_1 = 2 + 1$ $a_2 = 4 + 1$<br>$a_1 = 3$ $a_2 = 5$<br>Thus, the first 4 terms of the s | e sequence $a_n = 2n + 1$ .<br>the first to fourth term of the sequence,<br>If $n = 3$ If $n = 4$<br>$a_3 = 2(3) + 1$ $a_4 = 2(4) + 1$<br>$a_3 = 6 + 1$ $a_4 = 8 + 1$<br>$a_3 = 7$ $a_4 = 9$<br>sequence are <b>3</b> , <b>5</b> , <b>7</b> , and <b>9</b> . | Provide enough time for the<br>learners to accomplish this |
|   | -  | activity. You may adjust the                               |
| 3. Lesson Activity  |  | indicated time in the worksheet                            |
| Activity 3A: Try This!  |  | for this activity if necessary.                            |
| A. Let the learners determine whether   | r the following sequence is FINITE or  |  |
| INFINITE.   |  | Activity 3A Answer Key:                                    |
| 1. 5, 15, 25, 35  | 6. 2, 6, 18, 54,   | A. 1. FINITE   |
| $2. 2, 4, 8, 16, \dots$   | 7. 3, 6, 9, 12,, 30  | 2. INFINITE  |
| 3. 1, 9, 17, 25   | 8. 7, 7, 7, 7, 7   | 3. FINITE  |
| 49, -4, 1, 6,   | 9. 16, 21, 26, 31  | 4. INFINITE  |
| 5. 2, 9, 10, 23   | 10. 24, 19, 14, 9,   | 5. FINILE  |
| D. Lot the learners determine the rule of   | n ath tarm of the following acqueres   | O. INFINITE<br>7 EINITE                                    |
| $\begin{array}{c} \text{B. Let the learners determine the rule of} \\ 1  1  2  5  7 \end{array}$  | I full term of the following sequences.  | 7. FINILE<br>9. FINITE                                     |
| $\begin{array}{cccccccccccccccccccccccccccccccccccc$  |  | O. FINITE<br>O. FINITE                                     |
| $\begin{array}{cccccccccccccccccccccccccccccccccccc$  |  | $\frac{9.11112}{10}$                                       |
| 4 4 12 36 108   |  | $B_{1} = 2n - 1$   |
| 5. 20. 10. 010.   |  | 2. $a_n = -4n - 1$   |
| ,,,,  |  | 3. $a_n = 3n + 2$  |
| C. Given the rule or nth term, let the l  | learners find the first four terms of the  | 4. $a_n = 4(3)^{n-1}$                                      |
| sequence.   |  | 5. $a_n = 20(1/2)^{n-1}$                                   |
| 1. $a_n = -2n + 8$  |  | C. 1. 6, 4, 2, 0   |
| 2. $a_n = 5n + 2$   |  | 2. 7, 12, 17, 22   |
| 3. $a_n = n + 20$   |  | 3. 20, 21, 22, 23  |
| 4. $a_n = 4(5)^{n-1}$   |  | 4. 4, 20, 100, 500   |
| 5. $a_n = 2(-3)^{n-1}$  |  | 5. 2, -6, 18, -64  |

## DAY 3

#### **SUB-TOPIC 2: Arithmetic Sequence**

### 1. Explicitation

An **arithmetic sequence** is a list or set of numbers in which each succeeding term is obtained by adding a fixed number. The fixed number is called common difference.

In the previous examples we were task to find the nth term of the sequence 5, 8, 11, 14, .... This sequence is an example of an arithmetic sequence since we add a fixed number 3 to get the next term. Analyzing it in tabular form,

| Term | Given | Pattern       |          |  |
|------|-------|---------------|----------|--|
| 1    | 5     | 5             | 5 + 7(0) |  |
| 2    | 8     | 5 + 3         | 5 + 7(1) |  |
| 3    | 11    | 5 + 3 + 3     | 5 + 7(2) |  |
| 4    | 14    | 5 + 3 + 3 + 3 | 5 + 7(3) |  |

In the pattern, the number of times 7 is added to the first term is one less than the next term or (n - 1). Equating  $a_n$  and 5 + 3(n-1)...

```
a_n = 5 + 3(n-1)
```

From this point, since 5 is the first term we represent it as  $\mathbf{a}_1$  and the common difference as  $\mathbf{d}$ . Thus,

 $a_n = a_1 + d(n - 1)$ 

With these, we can determine any term of an arithmetic sequence.

#### 2. Worked Example

Example 1: Determine the  $15^{\text{th}}$  term of the arithmetic sequence  $10,13,16,19,\ldots$ Solution: From the given arithmetic sequence,  $a_1 = 10$ , d = 3, and n=15.

> $\begin{array}{rl} a_n &= a_1 + d(n-1) \\ a_{15} &= 10 + 3(15-1) \\ &= 10 + 3(14) \\ &= 10 + 42 \\ a_{15} &= 52 \end{array}$ Thus, the 15<sup>th</sup> term of the arithmetic sequence is **52**.

In the solution for each example, emphasize to the learners that the common difference can be determined by getting the difference of the succeeding term and preceding term of a sequence.

You may add more examples if needed.

Example 2: Determine the 20<sup>th</sup> term of the arithmetic sequence 12, 10, 8, 16, ... Solution: From the given arithmetic sequence,  $a_1 = 12$ , d = -2, and n=20.  $a_n = a_1 + d(n-1)$  $a_{20} = 12 + (-2)(20 - 1)$ = 12 + (-2)(19)= 12 + (-38) $a_{20} = -26$ Thus, the 20<sup>th</sup> term of the arithmetic sequence is -26. Example 3: 42 is what term of the arithmetic sequence 2, 6, 10, 14 ... Solution: From the given arithmetic sequence,  $a_1 = 22$ , d = 4, and  $a_n = 42$ .  $a_n = a_1 + d(n-1)$ 42 = 22 + 4 (n - 1)42 = 22 + 4n - 442 = 4n + 1842 - 18 = 4n24 = 4n  $\frac{24}{4} = \frac{4n}{4}$ 6 = nThus, 42 is the **6<sup>th</sup> term** of the arithmetic sequence. Example 4: The 3<sup>rd</sup> term of an arithmetic sequence is 8 while the 16<sup>th</sup> term is 47. What is the first term and common difference? Solution: From the given,  $a_3 = 8$ ,  $a_{16} = 47$ . These implies that Equation 1 Equation 2  $a_3 = a_1 + d(3 - 1)$  $a_{16} = a_1 + d(16 - 1)$  $8 = a_1 + 2d$  $47 = a_1 + 15d$ By Elimination  $-(8 = a_1 + 2d)$  $47 = a_1 + 15d$ 39 = 13d 39 13*d*  $\frac{13}{13} = \frac{13}{13}$ 3 = d

|   | By Substituting d<br>to Equation 1<br>Thus, first term is  | $8 = a_1 + 2d$<br>$8 = a_1 + 2(3)$<br>$8 = a_1 + 6$<br>$8 - 6 = a_1$<br>$2 = a_1$<br>2 and the common difference is 3.  |                        |   |
|---|--|---|------------------------|---|
| <ul> <li>3. Lesson A<br/>Activity 3<br/>Instruction</li> <li>1. What</li> <li>2. Solve</li> <li>3. Detern</li> <li>4. If a<sub>1</sub> =</li> <li>5. After slowly<br/>thereas weeks</li> </ul> Rubrics ( Score <ul> <li>3</li> <li>2</li> </ul> | ctivity<br>3B: Solve It!<br>an: Let the learners a<br>is the 18 <sup>th</sup> term of the<br>for the 12 <sup>th</sup> term of the<br>inne the 10 term of the<br>inne the inne the inne the inne the<br>inne the inne the inne the inne the<br>inne the inne the inne the inne the inne the inne the<br>inne the inne the i | nalyze and solve each problem.<br>The arithmetic sequence 13, 16, 19, 22,?<br>The arithmetic sequence 99, 87, 75, 63,<br>the arithmetic sequence if $a_1 = -15$ and $d = 6$ .<br>It is the common difference?<br>rainer tells you to return to your jogging prog-<br>g for 12 minutes each for the first week. Each we<br>but increase that time by 6 minutes. How more<br>are up to jogging 60 minutes per day?<br>Each item)<br>Indicator/s<br>te solution with correct procedure and<br>text answer.<br>te solution with minor error in the procedure<br>the correct answer. | ram<br>reek<br>any     | Provide enough time for the<br>earners to accomplish this<br>activity. You may adjust the<br>ndicated time in the worksheet<br>for this activity if necessary.<br><b>Activity 3B Answer Key:</b><br>1. 70<br>233<br>3. 57<br>4. 3<br>5. 9 weeks |
| 1   | Provided an incomp<br>did not arrive at the<br>Did not attempt to  | plete with major error in the procedures and<br>e correct answer.<br>solve the problem.   |                        |   |
| DAY 4<br>SUB-TOPIC<br>1. Explicita<br>A geo<br>obtained<br>represent<br>sequence  | <b>3: Geometric Seque</b><br><b>tion</b><br><b>metric sequence</b> is<br>by multiplying a fix<br>ed by <b>r</b> . To find the c<br>by its preceding term   | ence<br>a set of terms in which each term after the first<br>a set of terms in which each term after the first<br>and number called the <b>common ratio</b> which<br>common ratio we divide any term of the geome<br>n.   | st is<br>n is<br>etric |   |

| In the prev<br>3, 6, 12, 24,<br>multiply a fixed                               | ious examples<br>This sequer<br>1 number 2 to | s we were task to find<br>ace is an example of a<br>get the next term. A                | d the nth term of the seq<br>a geometric sequence sir<br>nalyzing it in tabular for | uence<br>ice we<br>m, |                                      |
|--|---|---|---|-----------------------|--------------------------------------|
| Term Given Pattern   |   |   |   |                       |                                      |
| 1  | 3   | 3   | 3   |                       |                                      |
| 2  | 6   | 3 (2)   | $3(2)^{1}$  |                       |                                      |
| 3  | 12  | 3(2)(2)   | $3(2)^2$  |                       |                                      |
| 4  | 24  | 3(2)(2)(2)  | $(2)^3$   |                       |                                      |
|  |   | · · · · · · · · · · · · · · · · · · ·   | ÷ (-)   |                       |                                      |
| In the patt<br>less than the n   | ern, the num<br>ext term or (r                | ber of times 2 is mu<br>$a_n = 1$ ). Equating $a_n$ and<br>$a_n = 3$ (2) <sup>n-1</sup> | ltiplied to the first term d 3(2) <sup>n-1</sup>                                    | is one                |                                      |
| From this  | point, since                                  | 5 is the first term v   | we represent it as $\mathbf{a}_1$ ar  | nd the                |                                      |
| common ratio   | as <b>r</b> . mus,                            | $a_{n} = a_{1} (r)^{n-1}$   |   |                       |                                      |
| With th  | lese, we can d                                | letermine any term of   | f a geometric sequence.   |                       |                                      |
|  |   | ·····   |   |                       |                                      |
| 2. Worked Exam   | ple   |   |   |                       |                                      |
| Example 1: De  | termine the 8                                 | <sup>th</sup> term of the geomet  | ric sequence 4, 20,100,5  | 00,                   |                                      |
| Solution: From the given geometric sequence, $a_1 = 4$ , $r = 5$ , and $n=8$ . |   |   |   |                       | To the collection for a state of the |
|  |   | $a_n = a_1 (r)^{n-1}$   |   |                       | In the solution for each example,    |
|  |   | $a_8 = 4 (5)^{8-1}$   |   |                       | emphasize to the learners that       |
|  |   | $= 4 (5)^7$   |   |                       | determined by getting the            |
|  |   | = 4 (78 125)  |   |                       | determined by getting the            |
|  |   | $a_8 = 312500$  |   |                       | and proceeding term of a             |
| Thu  |   | sequence.   |   |                       |                                      |
| Example 2: Wh<br>Solution: From  | at is the 10 <sup>th</sup> the given geo      | term of the geometri  | c sequence 256,128,64,3<br>= 256, r = 1/2, and n=10                                 | 32,?<br>).            | You may add more examples if         |
| (Note: r = 128/  | 256 expresse                                  | d in lowest term is 1,  | (2)   |                       | needed.                              |
|  |   |   |   |                       |                                      |
|  |   | $a_{10} = 256 (1/2)^3$  | .0 – 1  |                       |                                      |
|  |   | $= 256 (1/2)^{\circ}$   |   |                       |                                      |
|  |   | = 256 (1/51   | 2)  |                       |                                      |
|  |   | $a_{10} = 1/2$  |   |                       |                                      |
| 1  |   |   |   |                       |                                      |

|                              | Example 3: Find the common ratio of a geometric sequence whose $a_1=4$ and $a_4=32$ .<br>Solution: From the given, $a_1 = 4$ and $a_4 = 32$ .<br>$a_n = a_1 (r)^{n-1}$<br>$a_4 = 4 (r)^{4-1}$<br>$32 = 4 (r)^3$<br>$\frac{32}{4} = \frac{4r^3}{4}$<br>$8 = r^3$<br>$\sqrt[3]{8} = \sqrt[3]{r^3}$  | 1  |
|------------------------------|---|--|
|                              | $2 = r$ Thus, the common ratio is 2. 3. Lesson Activity Activity 3C: Complete Me! Instruction: Let the learners complete the table below. $\boxed{\begin{array}{c c} Given & a_1 & r & Solution and Answer}{1.4, 12, 36, 108,; 7^{th} term} \\ \hline 2 & 3.6 & 12.24 & \vdots 10^{th} term \end{array}}$   | Provide enough time for the<br>learners to accomplish this<br>activity. You may adjust the<br>indicated time in the worksheet<br>for this activity if necessary.<br><b>Activity 3C Answer Key:</b><br>1, 4, 3, 2916  |
|                              | 23, 0, -12, 24,, 10th term         3. 2187, 729, 243, 81,; 11th term         45, 5, -5, 5,; 100th term         52, -4, -8, -16,; 9th term   | 23, -2, 1536<br>3. 2187, 1/3, 1/27<br>45, -1, 5<br>52, 2, -512   |
| D. Making<br>Generalizations | <ul> <li>Learners' Takeaways and Reflection on Learning<br/>Activity 4: Closing the Loop!</li> <li>Instruction: Let the learners answer the following questions. <ol> <li>What are the key concepts of our lesson?</li> <li>Which part of the lesson is the easiest for you? Why?</li> <li>Which part of the lesson is the hardest for you? Why?</li> <li>How are we as a class today?</li> </ol> </li> </ul> | The activity is intended to<br>determine what the learners<br>have learned as well as to give<br>feedback to their experiences<br>during the lesson. Allot enough<br>time to listen and process the<br>responses of your learners.<br>You may also add questions if<br>needed. |

| IV. EVALUATING LEAR       | NOTES TO TEACHERS   |  |  |   |
|---------------------------|---|--|--|---|
| A. Evaluating<br>Learning | <ul> <li>1. Formative Assessment<br/>Activity 5: Let's Solid<br/>Instruction: Let the let<br/>1. 78 is what term of<br/>2. There are 38 logs<br/>32 in the next, and<br/>there in the 9th lat<br/>3. Find the first term<br/>common ratio is 4</li> <li>4. Find the number of<br/>Rubrics (Max of 5 points</li> <li>Rubrics (Max of 5 points</li> <li>Rubrics (Max of 5 points</li> <li>Provided a<br/>arrived at 5</li> <li>Provided a<br/>still arrive<br/>3</li> <li>Provided a<br/>procedures<br/>2</li> <li>Provided a<br/>but did no<br/>1</li> <li>Provided a<br/>problem bit<br/>0</li> <li>Did not atterned</li> </ul> | nt<br>re It!<br>arners analyze and solve eac<br>the arithmetic sequence 3, 8<br>in the bottom layer of a pile<br>d so on to the top which ha<br>yer?<br>of the geometric sequence if<br>of terms in the geometric sequence<br>its for each item)<br><u>Indicator/s</u><br>complete solution with correct<br>he correct answer.<br>complete solution with one in<br>at the correct answer.<br>partially completed the solut<br>and arrive at the correct answer<br>incomplete solution with 1-<br>carrive at the correct answer<br>incomplete solution with arit<br>did not arrive at the correct<br>empt to solve the problem. | h problem.<br>5, 13, 18,<br>of logs, 35 in the next layer,<br>s 2 logs. How many logs are<br>the 6th term is 3072 and the<br>aence 1, 2, 4, 8,, 262144<br>ct procedure and<br>neorrect procedure but<br>ion with 2-3 incorrect<br>swer.<br>2 correct procedures<br>attempt to solve the<br>t answer. | Activity 5 Answer Key:<br>1. 16<br>2. 22 logs<br>3. 3<br>4. 19                                      |
| B. Teacher's<br>Remarks   | Note observations on any of the following areas:  | Effective Practices  | Problems Encountered   | The teacher may take note of some observations related to the                                       |
|                           | strategies explored   |  |  | encountered after utilizing the<br>different strategies, materials<br>used, learner engagement, and |
|                           | materials used  |  |  |   |

|                            | learner engagement/<br>interaction<br>others  |  |  | Teachers may also suggest ways<br>to improve the different activities<br>explored/lesson exemplar.  |
|----------------------------|---|--|--|---|
| C. Teacher's<br>Reflection | <ul> <li>Reflection guide or prompt can be on:</li> <li><u>principles behind the teaching</u><br/>What principles and beliefs informed my lesson?<br/>Why did I teach the lesson the way I did?</li> <li><u>students</u><br/>What roles did my students play in my lesson?<br/>What did my students learn? How did they learn?</li> <li><u>ways forward</u><br/>What could I have done differently?<br/>What can I explore in the next lesson?</li> </ul> |  |  | Teacher's reflection in every<br>lesson conducted/facilitated is<br>essential and necessary to<br>improve practice. You may also<br>consider this as an input for the<br>LAC/Collab sessions. |